

### Write About it Wednesday

1. Describe, in words, the changes on the parent function  $f(x) = x$  given the following equations:

a.  $f(x) = (x - 15)$

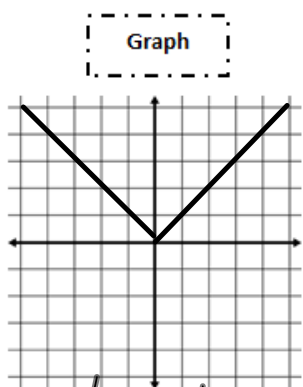
b.  $f(x) = x + 21$

c.  $f(x) = 1/3x$

d.  $f(x) = 9x$

2. What is the effect on the graph of  $f(x) = x$  when it has been transformed into  $f(x) = -x$ ? Use a calculator if necessary.

Parent Function	Equation:
Absolute Value	$f(x) = y =  x $



$y = |x|$   
 $y = x$   
 $y = -x$

x	y
-1	1
1	1

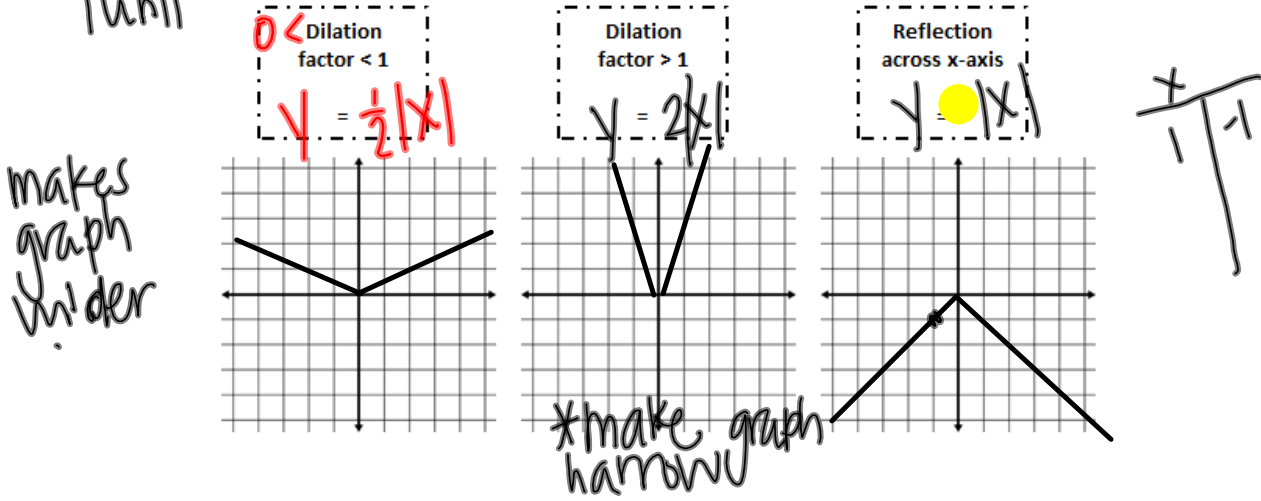
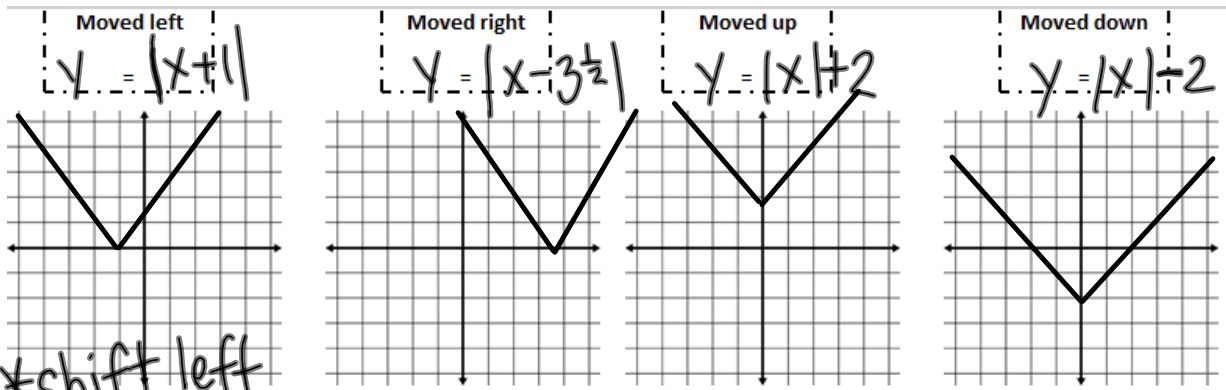
$d: \mathbb{R}$

$r: \{y \mid y \geq 0\}$

To transform it...

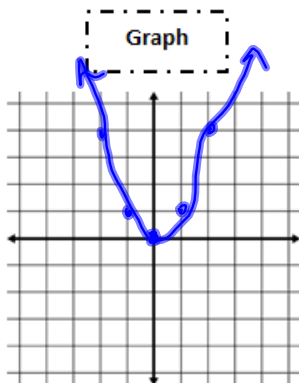
$y = a|x \pm h| \pm k$

*width* (arrow pointing to  $a$ )  
*horizontal* (arrow pointing to  $h$ )  
*vertical* (arrow pointing to  $k$ )



Parent Function	Equation:
Quadratic	$y = x^2$

$y = 1 \cdot (x+0)^2 + 0$



x	y
1	1
2	4
3	9
-2	4
-1	1

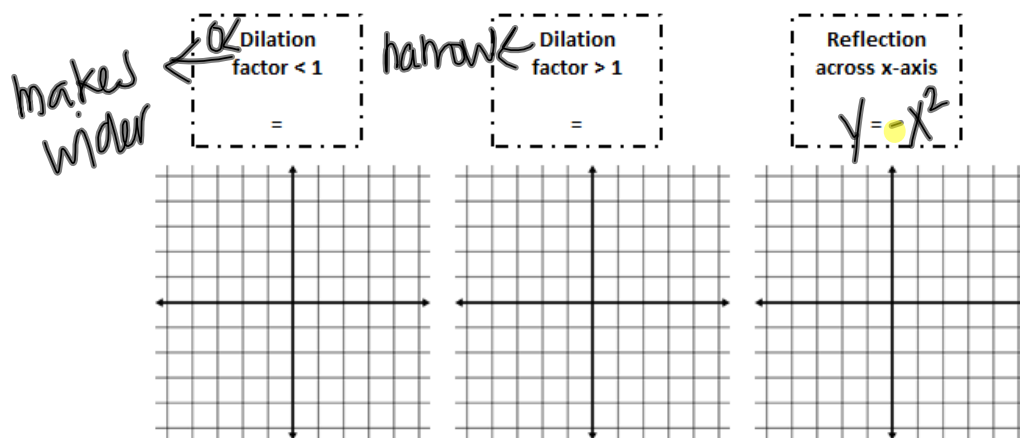
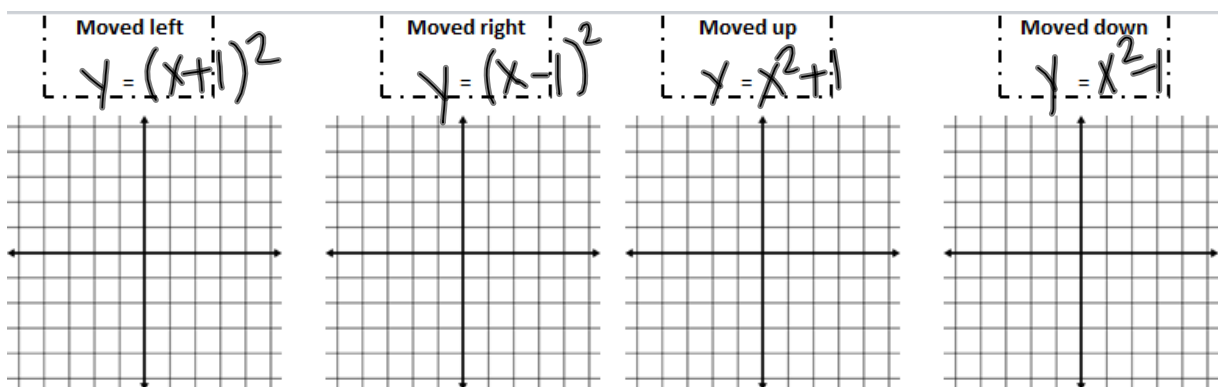
$$\text{Dom: } \{x \mid x \in \mathbb{R}\}, \{ \mathbb{R} \}$$

$$\text{Rng: } \{y \mid y \geq 0\}$$

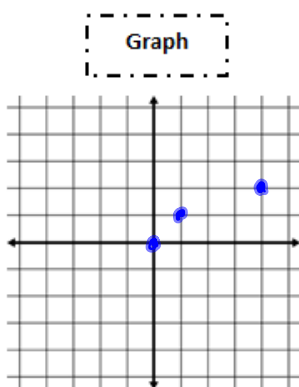
To transform it...

$$y = a(x+h)^2 + k$$

$\downarrow$                        $\downarrow$                        $\downarrow$   
 width                      LR                      U/D



Parent Function Square Root	Equation: $y = \sqrt{x}$
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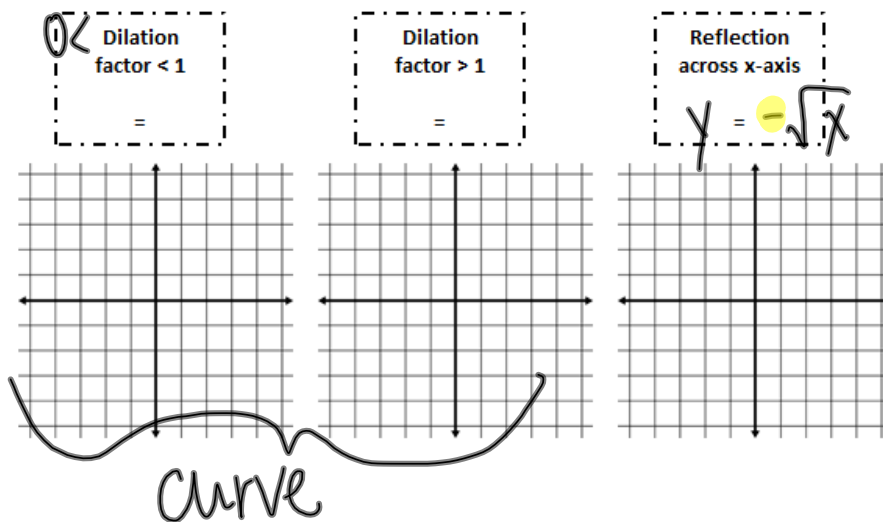
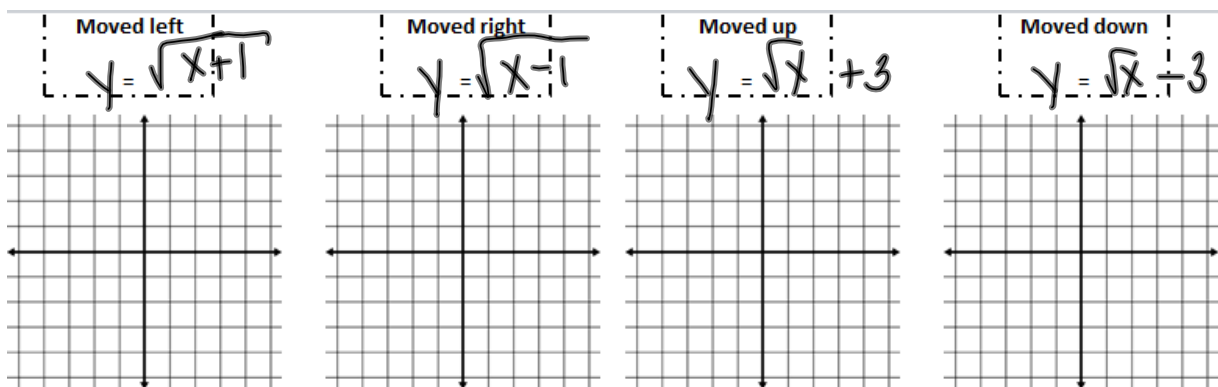
$$d: \{x | x \geq 0\}$$

$$r: \{y | y \geq 0\}$$

To transform it...

$$y = a\sqrt{x \pm h} \pm k$$

x	y
0	0
1	1
4	2



**Shifting Up & Down:  $f(x) \pm k$** 

- \_\_\_\_\_ a positive number to the parent function shifts it \_\_\_\_\_ that many spaces.
  - Example:  $y = |x| + 4$  is a shift of the absolute value graph \_\_\_\_\_.
- \_\_\_\_\_ a positive number from the parent function shifts it \_\_\_\_\_ that many spaces.
  - Example:  $y = x^2 - 3$  is a shift of the quadratic function \_\_\_\_\_.

**Shifting Left & Right:  $f(x \mp h)$** 

- \_\_\_\_\_ a positive number before evaluating the function results in a shift \_\_\_\_\_.
  - Example:  $y = |x + 4|$  is a shift of the absolute value graph \_\_\_\_\_.
- \_\_\_\_\_ a positive number before evaluating the function results in a shift \_\_\_\_\_.
  - Example:  $y = (x - 3)^2$  is a shift of the quadratic function \_\_\_\_\_.



**Reflection over the x-axis:  $-f(x)$** 

- Making the function \_\_\_\_\_ causes the function to \_\_\_\_\_ over the \_\_\_\_\_.

Example:  $y = -|x|$  is the absolute value graph that \_\_\_\_\_.

Example:  $y = -x^2$  a parabola that \_\_\_\_\_.

**Dilation: Vertical Stretch/Compression:  $a \cdot f(x)$** 

- If the function is multiplied by a value  $|a| > 1$ , then the graph will grow \_\_\_\_\_ and it is called a vertical \_\_\_\_\_.
- If the function is multiplied by a value  $|a| < 1$ , then the graph will grow more \_\_\_\_\_ and it is called a vertical \_\_\_\_\_.