

# PARTS OF AN ANGLE

An angle is formed by two **noncollinear** rays that share a common endpoint.

vertex

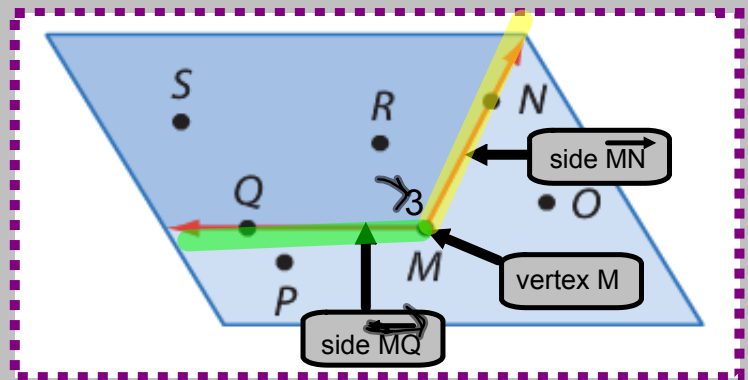
**Naming an angle:**

(4 ways)

$\angle M$      $\angle QMN$   
 $\angle 3$      $\angle NMQ$

**How do you describe the sides of an angle?**

by naming the rays



**An angle divides a plane into three distinct parts.**

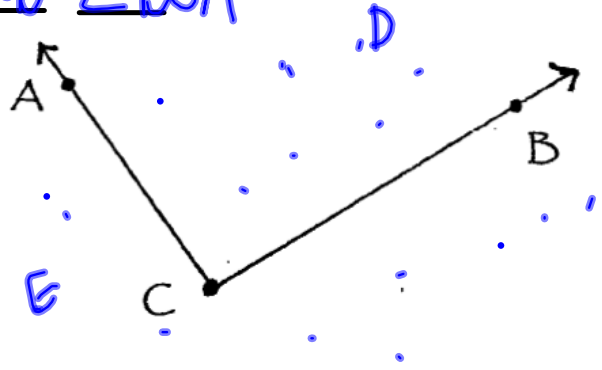
- interior of the angle: R, S
- exterior of the angle: P, O
- lie on the angle: Q, M, N

Name the vertex of this angle. C

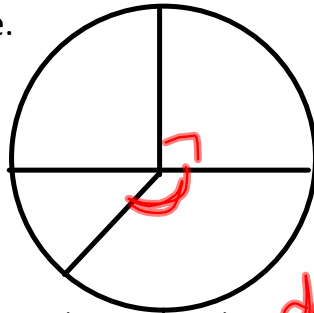
Give three names for the angle. ∠C ∠ACB ∠BCA

(The vertex is always the MIDDLE letter.)

Place point D in the interior and point E in the exterior of the angle.



straight  
angle =  $180^\circ$



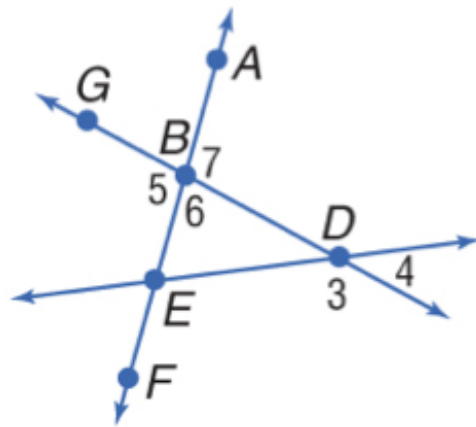
The width or measure of an angle is measured in degrees. There are  $360^\circ$  degrees in a circle.

Right angles measure  $90^\circ$ . Acute angles measure less than  $90^\circ$ . Obtuse angles measure greater than  $90^\circ$ .

Partner 1: Name all the angles that have a vertex at B. (4)

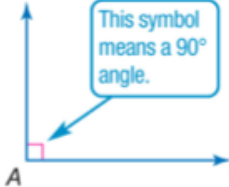
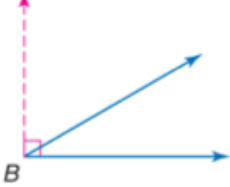
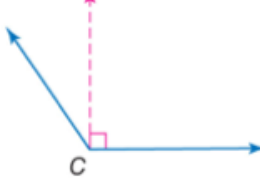
Partner 2: Name the sides of angle 5. (3)

Both: Write another name for angle 6. (4)

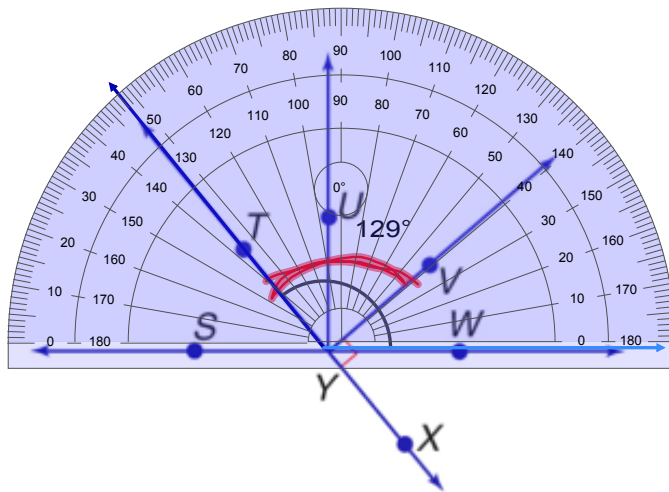


The width or measure of an angle is measured in \_\_\_\_\_. There are \_\_\_\_\_ degrees in a circle.

Right angles measure \_\_\_\_\_. Acute angles measure \_\_\_\_\_. Obtuse angles measure \_\_\_\_\_.

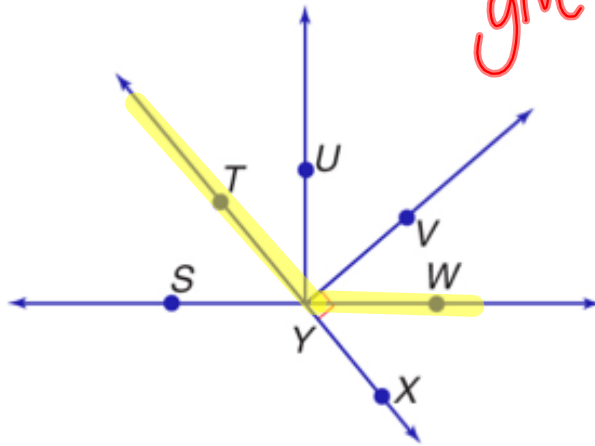
KeyConcept Classify Angles		
right angle	acute angle	obtuse angle
 <p><math>m\angle A = 90</math></p>	 <p><math>m\angle B &lt; 90</math></p>	 <p><math>180 &gt; m\angle C &gt; 90</math></p>

A. Measure  $\angle TYW$  and classify it as *right*, *acute*, or *obtuse*.

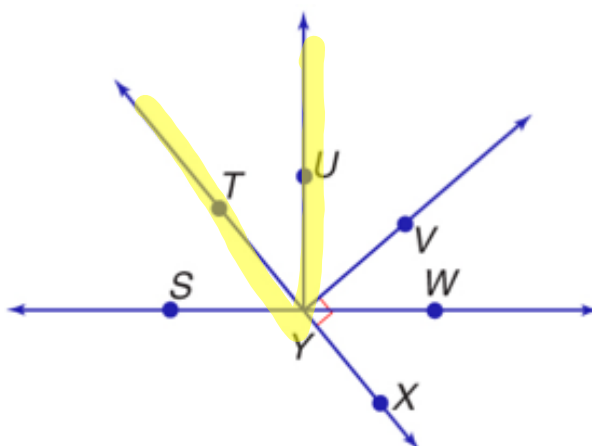


B. Measure  $\angle WYT$  and classify it as right, acute, or obtuse.

give a type



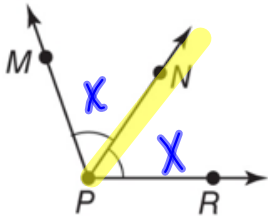
C. Measure  $\angle TYU$  and classify it as *right*, *acute*, or *obtuse*.



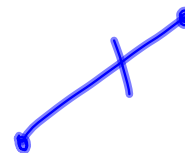
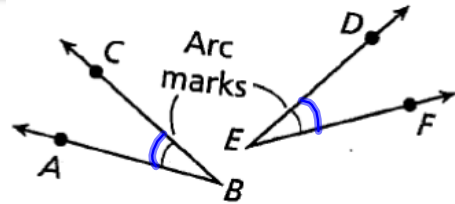
Congruent angles: angles that have the same measure.

Angle bisector: divides the angle into two congruent angles

**ANGLES AND ALGEBRA**



$\overrightarrow{PN}$  bisects angle MPR, therefore,  
 $\angle MPN \cong \angle NPR$

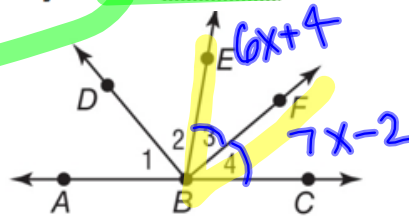




In the figure  $\overrightarrow{BA}$  and  $\overrightarrow{BC}$  are opposite rays.  $\overrightarrow{BF}$  bisects  $\angle CBE$ .

$$\angle 3 \cong \angle 4$$

\*measures are equal



If  $m\angle EBF = 6x + 4$  and  $m\angle CBF = 7x - 2$ , find  $m\angle EBF$ .

↑  
measure

$$6x + 4 = 7x - 2$$

$$x = 6$$

$$m\angle EBF = 6x + 4 = 6(6) + 4 = \boxed{40^\circ}$$

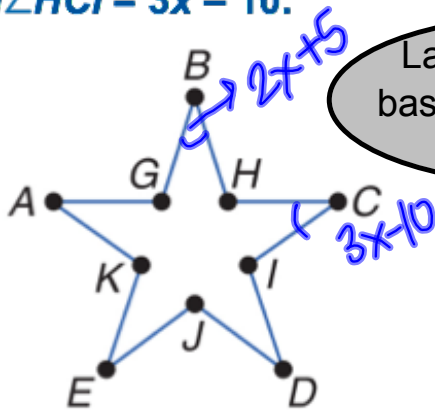
If  $m\angle 3 = 4x + 10$  and  $m\angle 4 = 5x$ , find  $m\angle 4$ .

$$4x + 10 = 5x$$

$$x = 10$$

$$m\angle 4 = 5x = 5 \cdot 10 = \boxed{50^\circ}$$

**INTERIOR DESIGN** Wall stickers of standard shapes are often used to provide a stimulating environment for a young child's room. A five-pointed star sticker is shown with vertices labeled. Find  $m\angle GBH$  and  $m\angle HCI$  if  $\angle GBH \cong \angle HCI$ ,  $m\angle GBH = 2x + 5$ , and  $m\angle HCI = 3x - 10$ .



Label the diagram based off what we've been given.

$$2x + 5 = 3x - 10$$

$$x = 15$$

$$2(15) + 5 = 35^\circ = m\angle GBH = m\angle HCI$$

$$3(15) - 10 = 35^\circ$$